Quantifying sediment mass redistribution from joint time-lapse gravimetry and photogrammetry surveys

Maxime Mouyen1, Philippe Steer2, Kuo-Jen Chang3, Nicolas Le Moigne4, Cheinway Hwang5, Wen-Chi Hsieh6, Louise Jeandet2, Laurent Longuevergne2, Ching-Chung Cheng5, Jean-Paul Boy7, Frédéric Masson7.

1Department of Earth and Space Sciences, Chalmers University of Technology, Onsala Space Observatory, SE-439 92 Onsala, Sweden.
2Univ Rennes, CNRS, Géosciences Rennes, UMR 6118, 35000 Rennes, France.
3Department of Civil Engineering, National Taipei University of Technology, Taipei 10608, Taiwan, R.O.C.
4Géosciences Montpellier, UMR CNRS/UM2 5243, Université Montpellier 2, CNRS, Montpellier, France
5Department of Civil Engineering, National Chiao Tung University, Hsinchu 300, Taiwan, R.O.C.
6Industrial Technology Research Institute, Hsinchu 310, Taiwan, R.O.C.
7Institut de Physique du Globe de Strasbourg, CNRS - Université de Strasbourg UMR 7516 - Ecole et Observatoire des Sciences de la Terre, 67084 Strasbourg Cedex, France.

Correspondence to: Maxime Mouyen (maxime.mouyen@chalmers.se)

Abstract. The accurate quantification of sediment mass redistribution is central to the study of surface processes, yet it remains a challenging task. Here we test a new combination of terrestrial gravity and drone photogrammetry methods to quantify sediment redistribution over a 1-km² area. Gravity and photogrammetry are complementary methods. Indeed, gravity changes are sensitive to mass changes and to their location. Thus, by using photogrammetry data to constrain this location, the sediment mass can be properly estimated from the gravity data. We carried out 3 joint gravity-photogrammetry surveys, once a year in 2015, 2016 and 2017 over a 1-km² area in southern Taiwan featuring both a wide meander of the Laonong River and a slow landslide. We first removed the gravity changes from non-sediment effects, such as tides, groundwater, surface displacements and air pressure variations. Then, we inverted the density of the sediment, with an attempt to distinguish the density of the landslide from the density of the river sediments. We eventually estimate an average loss of $4.7 \pm 0.4 \times 10^9$ kg of sediment from 2015 to 2017, mostly due to the slow landslide. Although the gravity devices used in this study are expensive and need week-long surveys, new instrumentation progresses shall enable dense and continuous measurements at lower cost, making this method relevant to improve the estimation of erosion, sediment transfer and deposition in landscapes.

1 Introduction

The reliable quantification of sediment mass redistribution is critical to the understanding of surface processes (Dadson et al., 2003; Hovius et al., 2011; Morera et al., 2017) and has significant implications for studies in tectonics (Molnar et al., 2007; Steer et al., 2014; Willett, 1999), climate (Peizhen et al., 2001; Steer et al., 2012), human activities (Horton et al.,
2017; Torres et al., 2017) or biochemistry (Darby et al., 2016). The earth’s topography is constantly eroded but the rates of this erosion vary whether they are estimated at decadal, thousand- or million-years timescales. Estimating such erosion rates over all these timescales provides a more complete description of their controlling processes (Dadson et al., 2003). These processes can run over millions to thousands years, such as tectonic uplift, in which case fission track thermochronometry (Fuller et al., 2006), cosmogetic nuclides (von Blanckenburg, 2006) or river terrace incision measurements (Hartshorn et al., 2002) are appropriate methods for estimating erosion rates. Nevertheless, rapid events such as earthquakes and landslides, very common in Taiwan, also play a significant role in eroding landscapes (Dadson et al., 2003; Hovius et al., 2000, 2011).

At daily to decadal timescales, erosion is classically estimated from the concentration of the suspended sediment in the rivers draining the studied areas (Fuller et al., 2003; Milliman and Farnsworth, 2011; Walling and Fang, 2003). A significant proportion of sediment can also be transported on the river bed (Blizard and Wohl, 1998), that is bedload sediment transport, which automatic gauging stations do not measure, likely resulting in an underestimation of the erosion rate. Nevertheless, sediment inputs to rivers in areas prone to landslides are not immediately flushed to the ocean. They are rather evacuated over decadal timescales (Croissant et al., 2017; Hovius et al., 2011), generating large sediment redistributions, mixing suspended and bedload sediment transport, all along the rivers. Thus, this sediment redistribution should be quantifiable even with discontinuous observations. Here we develop a new approach, combining photogrammetry and terrestrial time-lapse gravimetry, to quantify such a sediment mass redistribution, over an area of ~1 km², in southern Taiwan. It aims at complementing suspended sediment measurements to better assess sediment redistribution at decadal timescales. The studied area hosts both a slow landslide and a river carrying sediments eroded from the inner part of the mountainous catchment. The surveys were done once a year in 2015, 2016 and 2017.

Time-lapse gravimetry, that is the measure of gravity changes with time at a fixed location, is the only geophysical tool directly sensitive to mass redistributions at and below the earth’s surface. It has been widely applied in the fields of glaciology, hydrology and solid earth processes, either from space, with the Gravity Recovery and Climate Experiment (GRACE) mission (Farinotti et al., 2015; Han et al., 2006; Longuevergne et al., 2013; Pail et al., 2015; Tapley et al., 2004), or from terrestrial instruments (Van Camp et al., 2017; Crossley et al., 2013). Recent studies demonstrate the new potential of time-lapse gravity for studying surface processes as well, because the mass of deposited or eroded sediment can also significantly alter the gravity field (Liu et al., 2016; Mouyen et al., 2013, 2018).

The classical limitation for this method is the non-uniqueness of its solutions, since gravity changes are integrative and sensitive to both mass variations and to the location where these mass variations take place (Fig. 1 and equation 1). Nevertheless, network gravity surveys have showed their high value to estimate below ground mass changes in hydrology (Jacob et al., 2010; Naujoks et al., 2008), volcanology (Carbone and Greco, 2007; Kazama et al., 2015) or reservoir monitoring evolution (Ferguson et al., 2008; Hare et al., 2008). Unlike deep mass changes, sediment redistributions occur at the ground’s surface and are therefore accessible to accurate location methods such as photogrammetry (Eltner et al., 2016; Niethammer et al., 2012; Schwab et al., 2008). Combining accurate geometries with gravity variations must thus enable
proper mass estimations. Fig. 1 illustrates the use of time-variable gravimetry to quantify sediment mass redistribution at the earth’s surface. The change of gravity \( \Delta g \) measured between \( t_0 \) and \( t_1 \) is:

\[
\Delta g = g(t_1) - g(t_0) = \sum_{i=1}^{N} \Delta g_i = \sum_{i=1}^{N} \frac{Gm_i}{r_i^2} \sin \theta
\]

where \( \Delta g_i \) is the vertical component of the gravitational change at each element \( i \) (\( i \) ranging from 1 to \( N = 28 \) in Fig. 1b) considered as a point-mass (Fig. 1c) of mass \( m_i \) located at a distance \( r_i \) from the gravimeter, and \( G \) is the universal gravitational constant. Note that the gravitational attraction of any element decreases with the square of the distance between this element and the site where gravity is measured, so that the distance of the mass redistribution can be a strong limiting factor to measure significant gravity changes.

Testing the combination of photogrammetry and gravimetry for monitoring surface processes is a valuable effort regarding the recent and ongoing progress in gravimetry (Ménoret et al., 2018; Middlemiss et al., 2016, 2017), which shall open new ranges of applications and trigger interests outside the field of geodesy.

After introducing the study area, we describe the gravimetry and photogrammetry surveys that we conducted, together with our data processing workflow. We then show the results of both methods and interpret them jointly in order to retrieve the mass of sediment redistributed in this area from 2015 to 2017. We eventually discuss the benefits and limits of this method.

2 Study area

The joined gravimetry-photogrammetry survey was set in southern Taiwan, at the Paolai village, next to the Laonong River (Fig. 2). The gravity network contains one site, AG06, for absolute gravity (AG) measurement and nine sites, BA01 to BA09, for relative gravity (RG) measurements. During the 2017 survey, all sites but BA02 were located to cm accuracy using Global Navigation Satellite System (GNSS) enhanced by real-time kinematic (RTK) technique. The location of BA02 could not be measured due to the unexpected storage of concrete blocks, referred to as dolosse, aiming at being placed on the river shore to protect it from erosion. This dolosse storage also covered BA03 and BA04, although those two sites could be reached since these blocks are not plain. Their gravimetric effect will be estimated and removed from the measurements.

The first reason for choosing this location is that time-lapse absolute gravity surveys have been done at AG06 since 2006, in the frame of the Absolute Gravity in the Taiwan Orogen (AGTO) project. This project permitted to identify, for the first time, sediment redistribution using time-lapse absolute gravimetry and shown that significant sediment transfers occurred around Paolai (Kao et al., 2017; Mouyen et al., 2013). Indeed, this site experiences vigorous sediment transfer processes powered by heavy rains brought by tropical cyclones (typhoons) and monsoonal events, especially in May to August (Chen and Chen, 2003). The heavy rains destabilize the slopes of the Taiwanese high mountains, triggering landslides and debris flows (Chiang and Chang, 2011). This occurs on a regular basis: 5 to 6 typhoons make landfall in Taiwan every year (Tu et al., 2009), mostly between May and September. The most remarkable event was the 2009 Morakot typhoon, which produced the worst flooding in the last 60 years in Taiwan and up to 2777 mm of accumulated rainfall (Ge et al., 2010) and triggered...
22,705 landslides with a total area of 274 km$^2$ (Lin et al., 2011). Landsliding, which can also be triggered by regional active tectonics, is the main process supplying sediment to rivers in Taiwan (Dadson et al., 2003; Hovius et al., 2000).

The second reason for choosing this location is practical. Indeed, this location offers a stabilized path made of concrete on the southern bank of the Laonong River, where the relative gravity benchmarks could be properly set, on stable and sustainable sites, and easily accessed for measurements. Also, a continuous GNSS station, PAOL (latitude: 23.10862°, longitude: 120.70287°, elevation: 431 m), is co-located with the AG06 pillar and is maintained by the Institute of Earth Sciences-Academia Sinica (IES-AS, 2015). This permits to precisely take into account gravity changes only due to ground vertical displacements.

In this area, both the Laonong River and the landslide (Fig. 2) are susceptible to sediment transfers. The gravimetry-photogrammetry survey is setup to focus on these processes. Note that what we call the river (plain black line contour in Fig. 2) is the active channel bed that includes emerged alluviums. During yearly measurements, the water extent of the river only covers a fraction of this area, even if the period 2015-2017 has seen some higher water level and larger extents, especially during large floods.

### 3 Methods

#### 3.1 Time variable gravimetry

Gravity was measured at 10 sites (Fig. 2) in November 2015, 2016 and 2017, as the climatic conditions are usually suitable for gravimetry fieldwork during this month (e.g. no typhoon nor heavy rains, reasonable temperatures). By measuring gravity during the same period of the year, we also expect to minimize hydrological effects, which have an strong annual periodicity in this area (Chen and Chen, 2003).

Relative gravity measurements were done using a Scintrex CG5 Autograv (serial number 167). The measurement principle is to assess length variations of a spring holding a proof mass between different times and places, using a capacitive displacement transducer, and convert them into gravity variations (Scintrex Ltd., 2010). The instrument is leveled at each site and repeats 90-seconds measurements continuously. We stop measurements when gravity readings repeat within 3 µGal ($1 \mu$Gal = $10^{-8}$ m s$^{-2}$), while the internal sensor temperature remains stable. This usually takes 10 to 15 measurements, that is 15 to 23 minutes, although up to 25 measurements were required in some rare cases. Relative gravimeter measurements are subjected to an instrumental drift, which is corrected using the software Gravnet (Hwang et al., 2002). Inferring this drift requires to regularly re-measure a base station where absolute gravity is known (AG06 in this case) and at least to start and finish the survey at this base station. In addition, ambient temperature alters gravity measurements at a rate of -0.5 Gal °C$^{-1}$ (Fores et al., 2017). This effect was taken into account before adjusting the instrumental drift of the gravimeter.

The absolute gravity measurements were done using a Micro-g FG5 (serial number 224), which monitors the drop of a free-falling corner-cube in a vacuum. During its free fall, the positions and times of the corner-cube are precisely assessed using laser interferometry and an atomic clock (Niebauer, 2015; Niebauer et al., 1995). One measurement takes ~12 hours and...
consists in 24 sets of 100 test mass drops started every 30 min (one drop every 10 s). Measurements are always done overnight, when anthropogenic seismic noise and temperature variations are lower than during day time. A laser problem in the FG5 prevented us from measuring absolute gravity in 2017. This is compromising since the measurements at BA01-BA09 can only be interpreted relative to an absolute reference. A first option would be to disregard the gravity data measured in 2017 and not interpret the relative gravity changes between 2016 and 2017. This is a rather drastic solution and we prefer to use a likely gravity value for AG06 in 2017, keeping in mind that we may thus introduce an unknown but constant offset in the whole relative gravity data. The absolute gravity value at AG06 was measured in 2014, 2015 and 2016 (Fig. 3) and we extrapolate the 2017 value as being the average of the three previous AG values, that is 978 713 845.1 ± 3 µGal. We arbitrarily set the standard deviation to a value larger than usual at this site. In this case, the AG06 values in 2016 and 2017 are quite similar, less than 0.5 µGal difference.

To focus on sediment redistribution, other sources responsible for gravity changes must be removed from the gravity time series. Here, these effects are the tides, air pressure variations, polar motions, vertical ground motions and hydrology. These corrections are detailed in the next paragraph and summarized in Table 1.

Solid earth tides are computed using TSOFT (Van Camp and Vauterin, 2005) using tidal parameters from Dehant et al. (1999), referred to as WDD. Ocean tide loading effects are computed using the FES2004 model (Letellier et al., 2004) with the Ocean Tide Loading provider (Bos and Scherneck, 2003). Polar motions effects are computed using the International Earth Rotation and Reference System Services parameters and the Absolute Observations Data Processing Standards (Boedecker, 1991). Atmospheric effects, that is gravity changes due to air masses, are corrected using local barometric records done at a continuous weather station located ~12 km west of Paolai (station name C0V250) and an admittance factor of -0.3 µGal hPa⁻¹ (Merriam, 1992). Vertical displacements of the ground also change the gravity, because the gravity measured at any place on the Earth’s surface depends on the inverse of the square of the distance between this site and the Earth’s center of mass. Therefore, if the site is uplifting (further from center of mass) or subsiding (closer to the center of mass), it will have a lower or higher gravity value, respectively. This effect is corrected using continuous GNSS time series recorded at AG06 (site PAOL, Fig. 4) and assuming a theoretical ratio $\Delta g/\Delta z = -2 \text{µGal/cm}$ (Van Camp et al., 2011), where $\Delta g$ is the gravity change and $\Delta z$ is the elevation change, at the same location.

We also correct the effect of hydrology, which deforms the earth surface at the global scale and changes the groundwater mass attraction at local scales, near the gravimeter. This correction relies on global hydrological models. We consider two of them in this study:

1. the Global Land Data Assimilation System Version 2 (GLDAS-2) forcing the Noah land surface model (Rodell et al., 2004) and

The gravitational effect due to each of these models is provided by the EOST loading service (Boy, 2015; Petrov and Boy, 2004). Unlike the other corrections, the hydrological correction may suffer large uncertainties because of (1) the complexity
of hydrological processes, (2) the difficulty to measure groundwater and (3) its large effect on gravity (Jacob et al., 2009; Longuevergne et al., 2009; Pfeffer et al., 2013). Indeed, the effect of GLDAS-2 and MERRA-2 on gravity predict up to 20 µGal of seasonal amplitude in the hydrological signal, with sometimes large differences, up to 10 µGal, between the different models (Fig. 5).

Nevertheless, surveying in November appears as a valuable way to decrease the hydrological impact on the gravity data, since this effect is lower than 3 µGal, with any of the two hydrological models. Eventually we use the average hydrological effect from GLDAS-2 and MERRA-2. We arbitrarily set an uncertainty of 5 µGal to this correction (Table 1), to account for possible bias in the models.

Note that we also correct the effect of the dolosse set in 2017, which is only significant at BA03 and BA04. These structures, located above BA03 and BA04, were indeed responsible for an artificial decrease of gravity of about 15 µGal (computation details in Appendix A). Given the uncertainty of this correction process, we add an arbitrary 5 µGal uncertainty on the gravity changes measured at BA03 and BA04 during the 2017 survey.

### 3.2 Photogrammetry

An Unmanned Aerial Vehicle (UAV), commonly known as a drone, is an aircraft without human pilot on board and has been used in many disciplines, especially in morphotectonic studies (Chang et al., 2018; Deffontaines et al., 2017, 2018). To generate a high-resolution digital surface model (DSM), orthorectified mosaic images, and a true 3D model, the UAV mounted with a Sony ILCE-QX1 camera and a 16 mm SEL16F2.8 lens was used in this study (Fig. 6). The UAV is a modified already-available Skywalker X8 fixed-wing aircraft reinforced by carbon fiber rods and Kevlar fiber sheets. Launched by hand, it flies, takes photos, and lands autonomously by using a pre-programmed flight plan. The autopilot system is composed and modified from the open source APM (Ardupilot Mega 2.6 autopilot) firmware and open source software Mission Planner, transmitted by ground-air XBee radio telemetry.

The flight missions were planned with 300-500 m mean above ground level, covered an area of about 15-20 km² with about 10-15 cm ground sampling distance (GSD) in one single flight mission. Repeated adjacent photographs were kept for at least 85 % endlap and 50 % sidelap. Each UAV flight missions took about 90 min. The data sets, including orthomosaic images, DSM, and true 3D model, were generated and processed using ContextCapture and Pix4Dmapper with a grid spacing of 50 cm. 21 ground control points and 11 check points were measured in the field to control and to verify the quality of the datasets (Fig. 6c).

### 4 Survey results

The results of the gravity and photogrammetric surveys are shown in Figs. 7 and 8, respectively. The largest gravity changes occurred between 2015 and 2016, with most sites showing an increase of more than 30 µGal. On the contrary, the gravity decreased at most sites from 2016 to 2017. When measured above the redistributed masses, increase and decrease of gravity
correspond to gain and loss of masses, respectively. Qualitatively, this is in agreement with the corresponding digital surface models (DSM) changes in the active bed channel showing higher sediment thicknesses, thus a gain of mass, from 2015 to 2016 and large surfaces of lower sediment thicknesses from 2016 to 2017. Over the time period 2015-2016, the top of the landslide is actively eroded, up to 46 m, while its toe displays significant sedimentation, up to 33 m. The active river bed shows a mixed-pattern of erosion and sedimentation, between -1.19 and 1.21 m on average, possibly resulting from the migration of the river braids. Whereas, over the time period 2016-2017, the landslide displays mostly erosion, up to 39 m, while the river bed continues to display a mixed-pattern of erosion and sedimentation, between -1.17 and 1.08 m on average.

The gravimetric and photogrammetric techniques show large changes in gravity and topography, which demonstrate active processes of sediment redistribution in the river and on the slow landslide. In the next section, we combine these results to assess the mass of sediment redistributed from 2015 to 2017. Note that we focus the DSM analysis to the area bounded by the black line in Figs. 8d and 8e, which is restricted to the landsliding zone and the river.

5 Joint analyses of the gravity and photogrammetry data

Using the DSM, we build rectangular prisms with horizontal sides of 0.5 m, i.e. DSM resolution, and a vertical side as high as the elevation at the time of the corresponding surveys, i.e. bottom at 0 m and top at the surface elevation. Among the three (2015, 2016 and 2107) photogrammetric surveys, the 2017 survey has the smallest surface extent. Its limits are thus used to cut the 2015 and 2016 photogrammetric surveyed areas, so that all DSM cover the exact same area. The total mass of redistributed sediment equals the change of volume between each survey multiplied by the density of the sediment. We use the gravity data to assess this density using an inverse modelling approach. Note that since gravity decreases with the square of the distance between the measurement site and the mass location, we can bound our analysis to the area covered by the photogrammetric surveys without biasing the analysis. Indeed, using the wider 2015 and 2016 survey coverages, we find that extending our working area in the north-south and east-west directions by steps of 100 m does not alter the gravity changes computed at each sites by more than 1 %.

We design three inversion cases to retrieve the densities of the redistributed materials, using a least-square criterion. These cases are independent from each other and aim at increasing the amount of possibly different densities for comparison. Thus we invert:

- Case 1: The average density $\rho$ of the material redistributed during the surveys.
- Case 2: The density of the sediment in the river $\rho_r$ and the density $\rho_l$ of the material in the landslide.
- Case 3: The density of the sediment in the river $\rho_r^{1615}$ from 2015 to 2016 and $\rho_r^{1716}$ from 2016 to 2017 and the density $\rho_l$ of the material in the landslide.

Here we will solve an over-determined problem, where we have more observations (20 gravity differences over the three years) than variables to estimate (density, three at most, in case 3). However, gravity observations are too few and unevenly
distributed over the study area to try to invert the density at each pixel (more than 4 millions) of the photogrammetry survey.

In practice, the matrix representation of this system is (e.g. Hwang et al., 2002)

\[
\mathbf{L} + \mathbf{V} = \mathbf{A}\mathbf{X} \tag{2}
\]

where the design matrix \( \mathbf{A} \), vector of unknowns \( \mathbf{X} \) and vector of observations \( \mathbf{L} \) are defined as

\[
\mathbf{A} = \begin{bmatrix}
  d_{g_{mod,r}}^{1615,BA01} & 0 & d_{g_{mod,l}}^{1615,BA01} \\
  \vdots & \ddots & \vdots \\
  d_{g_{mod,r}}^{1615,PA0L} & 0 & d_{g_{mod,l}}^{1615,PA0L} \\
  0 & d_{g_{mod,r}}^{1716,BA01} & d_{g_{mod,l}}^{1716,BA01} \\
  \vdots & \ddots & \vdots \\
  0 & d_{g_{mod,r}}^{1716,PA0L} & d_{g_{mod,l}}^{1716,PA0L}
\end{bmatrix} \tag{3}
\]

\[
\mathbf{X} = \begin{bmatrix}
  \rho_r^{1615} \\
  \rho_l^{1716} \\
  \rho_l
\end{bmatrix} \tag{4}
\]

\[
\mathbf{L} = \begin{bmatrix}
  d_{g_{obs}}^{1615,BA01} \\
  \vdots \\
  d_{g_{obs}}^{1615,PA0L} \\
  d_{g_{obs}}^{1716,BA01} \\
  \vdots \\
  d_{g_{obs}}^{1716,PA0L}
\end{bmatrix} \tag{5}
\]

and \( \mathbf{V} \) is the vector of residuals (\( \mathbf{X} \) and \( \mathbf{V} \) are to be determined by the least-squares method). In matrices \( \mathbf{A} \) and \( \mathbf{L} \), \( d_g \) is the gravity variation that is modelled (\( d_{g_{mod}} \)) or observed (\( d_{g_{obs}} \)) between 2016 and 2015 (1615) or between 2017 and 2016 (1716) at every site (BA01… PA0L). The modelled gravity change can be computed for the material in river (\( d_{g_{mod,r}} \)) or in the landsliding zone (\( d_{g_{mod,l}} \)). This matrix representation is given for the inversion case 3 and can be simplified for cases 1 and 2.

The design matrix \( \mathbf{A} \) is built thanks to the photogrammetry surveys, from which we identify the river and the landslides as well as their respective volume changes. Therefore, knowing also the position of the gravity sites, we compute each element of \( \mathbf{A} \) using a 3D gravity modelling by prisms methods (Nagy, 1966) and an arbitrary density equal to 1. The actual density can be inverted by

\[
\mathbf{X} = (\mathbf{A}^T \mathbf{P})^{-1} (\mathbf{A}^T \mathbf{P} \mathbf{L}) \tag{6}
\]

where \( \mathbf{A}^T \) is the transpose of \( \mathbf{A} \). The weight matrix \( \mathbf{P} \) is diagonal, and its elements are the invert of the gravity uncertainties at each site \( i \). Finally, the residuals \( \mathbf{V} = \mathbf{A}\mathbf{X} - \mathbf{L} \) are used to compute the uncertainty of the inverted densities as

\[
\sigma_d = \mathbf{V}^T \mathbf{P} \mathbf{V} / (n - u) \tag{7}
\]

where \( n \) is the number of gravity observations and \( u \) the number of unknown densities. The inverted densities for each case are summarized in Table 2. Cases 1 and 2 returns similar densities. Case 3 returns a noticeable difference between the densities of the sediment in the active bed channel for the 2015/2016 or 2016/2017 surveys. A first hypothesis for this difference could be that the composition of the redistributed sediment has changed over the years of the study, for instance
because they come from landslides that occurred in terrain with different densities. A second hypothesis is that the water content of the sediment varies, eventually changing the effective density of the sediment as measured by the gravimeters. We do not have enough data to favor one of these hypothesis but we will discuss the possible influence of water on our density estimates in section 6.1. Uncertainties on the landsliding materials densities (case 2 and 3) are higher than those of the river sediment, likely because they are further from the gravity sites than the river sediment. As seen in equation 1, the further the redistributed masses are, the lower are their gravitational effects.

For comparison, during the 2017’s survey, we evaluate the in situ densities of the materials in the active river bed and at the bottom of the landslide, at 22 sites (Fig. 9), also using photogrammetry (Appendix B). The in situ densities range from 1.2 to 2.7×10^3 kg m^-3 and are spatially heterogeneous, illustrating the variety of materials carried by the river and the landslide. Despite the limited and spatially uneven sampling points, we obtain an average density (2.0×10^3 kg m^-3) consistent with the average densities inverted from the gravity and photogrammetry data (1.9×10^3 kg m^-3).

The final comparison of the measured gravity and the computed gravity in cases 1, 2 and 3 is given in Fig. 10. The largest misfits are at BA05 and BA06 during the 2017-2016 period, for which gravity changes are underestimated by 19 and 15 μGal, respectively. Possible explanations for these two misfits are: a wrong site location, an error in the gravity data or an error in the DSM data, yet we could not narrow our search down a specific issue at BA05 and BA06. At the other sites, the pattern and amplitude of the gravity observations is rather well explained by the modelling, showing the interest of coupling gravity and photogrammetric surveys to retrieve the density of the redistributed materials. Note that in Fig. 10b, the gravity modelled at most sites seems to need a small offset of -3 μGals to fit within the error bars of the observations. This may show that our absolute gravity estimate for the 2017 survey (Fig. 3) is wrong by 3 μGals.

Multiplying the inverted densities (Table 2) with the volumes changes computed from the DSM changes, we can eventually compute the mass of sediment that were redistributed between two surveys, for each inversion cases (Fig. 11). Since the inverted densities are similar in each three case (Table 2) and the volumes changes estimated from photogrammetry are identical, thus the estimated masses (volumes times density) are also similar in each three case. The difference mostly lies within the uncertainty of these estimates. In our mass estimation, we also differentiate the top and the toe of the landslide, because the top of the landslide mostly experience erosion, while its toe undergoes both erosion and sedimentation processes. This helps to unravel how the sedimentation and erosion processes are distributed over the slow landslide.

In the river only, we observe that the mass of sediment redistributed between each survey is similar. The river gained between 0.61 and 0.83×10^9 kg and lost between 0.58 and 0.74×10^9 kg. Thus, the mass loss is about 4% and 12% less than the mass gain, resulting in a quasi-balanced budget that is within the uncertainty of the mass estimations. The time variability of the sediment mass budget is dominated by the landslide, which causes larger mass redistributions (up to 4×10^8 kg) and loss-to-gain ratios. A significant mass loss occurred between 2016 and 2017, which is ~15 times larger than the mass gain. Between 2015 and 2016, both erosion and sedimentation are significant at about 2 to 3×10^9 kg, which are rather balanced. A likely hypothesis is that we mainly observe a transfer of sediment from the top of the landslide, where 2.1 ± 0.6×10^9 kg of material were eroded toward its toe to accumulate 1.9 ± 0.5×10^9 kg here (average mass from the three cases). Overall, from
2015 to 2017, the area has lost about $4.7 \pm 0.4 \times 10^9$ kg of sediment. Note that this landslide occurs over several years, not in one quick event, probably as the consequence of the erosion by the meandering Laonong River.

6 Discussion

6.1 Implications for sediment transfers in active landscapes

Our results highlight how landscapes react to landsliding and how they evolve after a large perturbation such as the 2009 Morakot typhoon. Between 2015 and 2016, the activity of the Paolai slow landslide mostly consists in transferring about $2 \times 10^9$ kg (about $1 \times 10^6$ m$^3$) of materials from the landslide top to the landslide toe over roughly 100 to 200 m. After 2016, a significant event of erosion of the landslide occurs, with more than $3 \times 10^9$ kg of sediment removed, including most of the sediment previously deposited on the landslide toe. This corresponds to a particularly rapid evacuation of the sediment, especially in the alluvial context of the Laonong river, that is yet consistent with predictions obtained with a morphodynamic model by Croissant et al. (2017) for bedrock rivers. It is likely that the position of the landslide in the outer bank of a meander has favored sediment export efficiency. Despite this landslide activity, it is quite remarkable that the Laonong river roughly maintains a neutral sediment budget over 2 years, between 2015 and 2017, in the vicinity of the landslide. This means that the river mainly acts as a sediment transfer zone and that river incision and sediment evacuation occurring along the river is balanced by the sediment delivery occurring by the supply of landslide materials. This sediment supply may originate from the several large landslides triggered in the Paolai area by the 2009 Morakot typhoon (Lin et al., 2011) and the following massive sediment aggradation along fluvial valleys up to 10, 30 and even possibly 100 m (DeLisle and Yanites, 2018; Hsieh and Capart, 2013). Our results would thus suggest that the Laonong river has not yet recovered from this aggradation phase and that the landscape is still perturbed by the aftermath of Morakot typhoon, even 8 years after its occurrence. This exceeds the relaxation time of 6 years observed after the 1999 Chi-Chi earthquake using river suspended load (Hovius et al., 2011). But typhoon-triggered landslides occur every year in Taiwan, and global warming may intensify this process (Chiang and Chang, 2011). This could also build and maintain long-term sediment sources within the Taiwan range, which will keep supplying sediment into rivers even long after the Morakot-induced sources have been completely flushed.

6.2 Impact of river water storage changes

The mass of sediment redistributed in the studied area from 2015 to 2017 was computed by multiplying the volume of redistributed sediment by a density estimated from the joint analysis of gravity and photogrammetry data. We tested several ways of separating materials: active river bed or landslide materials and active river bed material between 2015 and 2016 or between 2016 and 2017. However, the active river bed also includes the actual Laonong River, that is water with density $\rho_w = 10^3$ kg m$^{-3}$. The photogrammetry actually measures the river surface but we did not make the distinction between the water and the active river bed because the bathymetry of the river is unknown. Consequently, without the river depth's
geometry, we cannot turn the river into 3D prisms for computing its gravity effect. As a workaround, here we simply assume a constant river depth of 1 m, that corresponds to very rough field estimates. Then, we map the surface limits of the river from the optical images taken by the UAV during each survey. The height $h$ of the river surface is given by the photogrammetry results. The river is then divided into prisms covering the river area, with sides of 0.5 m, upper face at elevation $h$ and lower face at elevation $h-1$, since the river is 1-m deep. We then compute the gravity effect of the river on each site of the network (except BA02, which position is unknown). Eventually, this effect is removed from the gravity observation and the average density inversion (case 1) is run, giving $\rho = 1.7 \pm 0.1 \times 10^3$ kg m$^{-3}$ and RMS = 9.7 µGal. This represents a decrease of 11% relative to the density $\rho = 1.9 \pm 0.2 \times 10^3$ kg m$^{-3}$ given in Table 1 and also relative to the mass budget in Fig. 11. These values are yet to be taken with caution since we do not know the exact geometry of the river, its depth in particular.

### 6.3 Perspectives from recent progresses in gravimetry

In this study we take advantage of the intense surface processes occurring in Taiwan to jointly analyze both time-variable gravity and photogrammetry measurements. Indeed, the amplitude of the sediment redistribution guarantees to measure significant gravity changes and, most importantly, surface elevation changes. Nevertheless, for rivers experiencing large and dynamic sediment redistributions that yet remain hidden beneath the water level, photogrammetric data would not bring any constraint on the density inversion. One should thus only rely on the gravity measurements, leading to non-uniqueness problem, since both the density and the location of the redistributed sediment would have to be inverted. To better deal with this issue, we suggest two improvements to our gravity survey:

1. Set a denser network of gravity sites, ideally with a mesh structure. Indeed, more measurements, evenly distributed, means more constraints on the density-location inversion.

2. Set this network closer to the mass changes to increase the gravity signal. The best option would be to locate the gravimeters directly beneath the river bottom. Fig. 12 shows that for such gravimeters, the average gravity change would increase from 31 to 50 µGal between 2016 and 2015 and from 13 to 61 µGal between 2017 and 2016.

This survey implies that gravimeters are set permanently over the time-period of the project, as they won’t be easily accessible. Such a setup of buried permanent gravimeters is presently impossible to realize with CG5 or any other contemporary relative or absolute gravimeter, but remains realistic at a few-years timescale. Indeed, a new generation of relative gravimeters is rising from the use micro-electro-mechanical systems (MEMS) technology, characterized by a significantly smaller size and lower price (Liu and Pike, 2016; Middlemiss et al., 2016, 2017). Those shoebox-sized devices could be used to set permanent and dense gravity networks in areas experiencing vigorous sediment transport. Gravity changes densely sampled over the river will permit to retrieve the sediment redistribution (both mass change and position) using gravity inversion methods (e.g. Camacho et al., 2011) further constrained by the geometry of the river and the depth of the relative gravimeter. In addition, as relative gravimeters suffer from instrumental drift, this
buried permanent network should be run in parallel to either permanent absolute measurements, which has recently become possible thanks to quantum gravimeters achieving 1 µGal repeatability (Ménoret et al., 2018), or to slowly drifting superconducting gravimeters (Hinderer et al., 2015). Therefore, ongoing progresses in the development of terrestrial gravimeters may open new opportunities for quantifying the mass of sediment redistributed by surface processes. Another interest for having such a permanent gravity network is to monitor the dynamics of the sediment redistribution at timescales shorter than one year, since the sediment concentration in Laonong river varies across the year (Fig. 13a).

6.4 Continuous sediment transport estimation

When sediment concentration is not continuously measured, sediment rating curves are a convenient workaround which permits, once determined, to estimate sediment transport from water discharge measurements only (Horowitz, 2003). Indeed, continuous water discharge is less complicated to measure than sediment concentration. But this method, which does not properly capture the bedload transported sediment, is inappropriate for landslide-dominated mountain belts such as Taiwan (Blizard and Wohl, 1998; Hovius et al., 2000). In addition, sediment rating curves experience temporal variation (Huang and Montgomery, 2013; Morera et al., 2017) and can also be altered by the release of groundwater (Andermann et al., 2012). Thus, the proper use of rating curves is bounded to specific conditions that are yet to be validated for the Laonong River.

Here we discuss the use of gravity for measuring the total sediment discharge of the Laonong River, that is suspended and bedload sediment transport. The method and perspectives introduced so far aim at quantifying the mass of sediment redistributed by an event with large sediment transport ability, such as a landslide or a high river discharge. Thus, the time step of this quantification depends on how long these events take to redistribute the sediment in a way that significantly alter the gravity measured at each site by, e.g., >10 µGal, as an indicative change. Fig. 13a shows that the largest sediment concentration recorded at LiuGui station is 5000 ppm (mass fraction), when the river level increased by 1.6 m.

For the hypothetical buried gravity network (Fig. 12c), we compute the gravity effect of a river level change of 1.6 m, which covers the entire area of the active bed channel of Laonong River. The 5000-ppm sediment concentration means there is 5 kg of sediment in 1000 kg of river’s fluid, hence 995 kg of pure water. In this framework, and assuming that the density of the sediment is 2×10^3 kg m^(-3), we can compute the density change due to rising sediment concentrations, until 10^6 ppm, meaning the river is made of sediment only. The gravity variation solely due to 5000 ppm of suspended sediment is about 0.17 µGal on average over each site. This cannot be properly distinguished from the main gravity change due to the rising river water level. Thus, time-variable gravity would not have been sensitive to the instantaneous suspended sediment concentration of the Laonong River between 2015 and 2017, even with a gravity network beneath the riverbed. In fact, the suspended sediment concentration should be about 3×10^5 ppm to change the gravity by at least 10 µGal (Fig. 13b with the bedload set to 0 cm). This corresponds to a strong debris-flow, nearly 8 times more concentrated than the threshold of 4×10^4 ppm used for debris-flow definition (Dadson et al., 2005; Lin and Chen, 2013). However, sediment is also transported on the river bed, as
bedload, and it must be added to suspended sediment concentration to make a complete estimation of the sediment discharge effect on gravity. We have no measurement of this bedload component for Laonong River but measurements in another catchment of Taiwan showed that 50% of the cumulative mass of the bedload was built by rocks which diameter is 15 cm \( (D_{50} = 150 \text{ mm}) \) and \( D_{90} = 62.5 \text{ cm} \) (Cook et al., 2013). Therefore, we compute the effect of homogenous bedload layers of up to 60 cm thickness and density \( 2 \times 10^3 \text{ kg} \text{ m}^{-3} \) and add it to the suspended sediment effect (labelled curves in Fig. 13b). It generates about 50 \( \mu \)Gal of gravity variation, which would be clearly identifiable in the gravity measurements. This computation gives an order of magnitude of the gravity change expected from time-varying suspended and bedload transport. It shows that continuous time-variable gravity could quantify sediment discharge if the sediment concentration is at least \( 3 \times 10^8 \) ppm without bedload, or if the bedload is at least 12.5 cm thick, under the assumption that only gravity changes above 10 \( \mu \)Gal are significant. Again, this 10-\( \mu \)Gal threshold is linked to the accuracy of today’s gravimeter but ongoing progresses and interest in time-variable gravimetry may fuel the development of devices with higher accuracies.

7 Conclusion

This study shows that the mass of sediment redistributed by rivers and landslides can be estimated by combining time-lapse gravimetric and photogrammetric measurements. Focusing on the Laonong River, in southern Taiwan, we estimate that about \( 4.7 \pm 0.42 \times 10^9 \) kg of sediment were removed from 2015 to 2017 around our study site. This sediment loss is mainly due to a slow landslide moving from one year to another. The sediment budget (i.e. the difference between sedimentation and erosion) within the river is close to zero, although more surveys should be carried out to identify longer-term deposition or erosion in this area. The average sediment density obtained with this method \( (1.9 \pm 0.2 \times 10^3 \text{ kg} \text{ m}^{-3}) \) is similar to the average sediment density measured in situ across the flood plain \( (2.0 \times 10^3 \text{ kg} \text{ m}^{-3}) \). The new method introduced in this paper has the advantage to directly sense the mass of sediment, without using rating curves or in situ sediment concentration data. Therefore, it can benefit a wealth of studies on surface processes, which require quantitative estimates of sediment redistribution. Although time-variable gravimetry remains a rather expensive method with demanding survey constraints, it has undergone promising progresses in the recent years. One is the significant miniaturization of the devices, using inexpensive MEMS technology (Middlemiss et al., 2016), the other is the realization of permanent absolute gravimeters, using cold-atom interferometry (Ménoret et al., 2018). Such new tools could be further used without photogrammetry, for rivers where most of the sediment transport is hidden under the water. If the suspended and bedload transport are significant enough, measuring the instantaneous sediment discharge could also become a reasonable project.

Data availability

Data are available from the corresponding author on reasonable request.
Author contribution

P.S., M.M. and L.L conceived the study. M.M., N.L.M. and W.-C.H. acquired and processed the gravimetry data. K.-J.C. acquired and processed the photogrammetry data. L.J. and M.M. made the in situ sediment density measurements. C.H. acquired and processed the GPS-RTK data. J.-P.B. computed the hydrological loading effect on gravity. M.M. performed the main analysis. All authors contributed to the final form of the article.

Competing interests:

The authors declare that they have no conflict of interest.

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Appendix A: Gravimetric effect of the dolosse

Fig. A1a is a picture of the dolosse stacked near the gravity site BA02. Their side $L$ and height $H$ are reported with blue lines for comparison with Figs. A1c-d. They are made of 3 identical patterns, which repeats around the center of the dolosse, and close it. The center of the dolosse and part of his sides are empty. However, due to its limited spatial resolution, the photogrammetry “sees” the dolosse as plain hexagons (Fig. A1b). Our aim is thus to define the ratio $k$ between an actual dolosse and a plain dolosse. This ratio is then multiplied by the average density $\rho_c$ of concrete ($2.3 \times 10^3 \text{ kg m}^{-3}$), which the dolosse are made of. This way we obtain an effective dolosse density that we pair to the volume obtained from the photogrammetry and eventually compute the gravitational effect of the dolosse at our study sites.

The volume $V_p$ of a regular hexagon with side $L$ and height $H$ is

$$V = \frac{3}{2} \sqrt{3} L^2 H = 4.9 \text{ m}^3$$  \hspace{1cm} (A1)

The volume $V_d$ of the actual dolosse is estimated to 1.6 m$^3$, using the geometry detailed in Figs. A1c-d.

Therefore, we find that the true volume of the dolosse is $k = 1.6/4.9 \cong 0.33$, that is one third of the plain volume, hence its effective density is $2.3k = 0.76 \times 10^3 \text{ kg m}^{-3}$. The geometry and density of the dolosse were used to compute their gravitational attraction at BA04 and BA05 using a 3-dimensional (3D) gravity modelling by prisms methods (Nagy, 1966). This effect is about -15 µGal.

Appendix B: In situ determination of the river materials density

The in situ densities were determined in three steps

1. Dig a small hole in the material (30-40 cm depth). The excavated material is put in a bucket.
2. The volume of the hole is evaluated by photogrammetry (Fig. B1).
3. Weight the bucket and divide it by the volume to get a density.
Tables

<table>
<thead>
<tr>
<th>Effect</th>
<th>Method</th>
<th>Order of magnitude [µGal]</th>
<th>Uncertainty [µGal]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Solid earth tides</td>
<td>WDD</td>
<td>100</td>
<td>0.1</td>
</tr>
<tr>
<td>Ocean tide loading</td>
<td>FES 2004 model</td>
<td>10</td>
<td>0.1</td>
</tr>
<tr>
<td>Polar motions</td>
<td>IERS data</td>
<td>1</td>
<td>0.1</td>
</tr>
<tr>
<td>Air pressure</td>
<td>Barometer data</td>
<td>0.5-1</td>
<td>0.1</td>
</tr>
<tr>
<td>Vertical ground motions</td>
<td>GNSS data</td>
<td>-2-4</td>
<td>1-2</td>
</tr>
<tr>
<td>Hydrology</td>
<td>GLDAS2/MERRA2 model</td>
<td>2</td>
<td>5</td>
</tr>
<tr>
<td>Dolosse at BA03, BA04</td>
<td>Photogrammetry</td>
<td>-15</td>
<td>5</td>
</tr>
</tbody>
</table>

Table 1: Summary of the corrections applied to our gravity measurements, with their order of magnitude. The uncertainties on the first four corrections are those proposed by Van Camp et al., 2005.

<table>
<thead>
<tr>
<th>Case</th>
<th>Densities (10^3 kg m^-3)</th>
<th>RMS (µGal)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>( \rho = 1.9 \pm 0.2 ) (no distinction river/landslide)</td>
<td>9.6</td>
</tr>
<tr>
<td>2</td>
<td>( \rho_r = 1.9 \pm 0.2 )</td>
<td>9.5</td>
</tr>
<tr>
<td>3</td>
<td>( \rho_r^{1615} = 1.6 \pm 0.6 ; \rho_r^{1716} = 2.0 \pm 0.2 )</td>
<td>9.6</td>
</tr>
</tbody>
</table>

Table 2: Densities obtained for each inversion case, with their standard deviation and the root mean square of the residuals \( V \).
Figures

Figure 1: a) Ground surface elevation at time $t_0$, gravity is measured and equal to $g_{t_0}$. b) New ground surface at $t_1 > t_0$, after sediment redistributions occurred. The gravity is measured again at the same place and is equal to $g_{t_1}$. c) Parameters used for computing a point-mass gravity effect (equation 1, point-mass means that the element is approximated to a point which mass is that of the element).
Figure 2: Map of the study area. Absolute gravity measurements are performed only at AG06 while relative gravity measurements are performed at every site. The background image is the hillshaded topography at half-meter resolution obtained by photogrammetry using an unmanned aerial vehicle (UAV). Inset in the left panel shows the study area in Taiwan. Axis are in meters.
Figure 3: Absolute gravity values measured at AG06 in 2014, 2015 and 2016. In 2017, the absolute gravimeter suffered from a laser problem and no measurement could be done. We thus consider that the value in 2017 is the average of the 2014, 2015 and 2016 values. These absolute gravity values are already corrected for tides, air pressure and polar motions, but not for hydrology and vertical ground displacements yet.
Figure 4: Ground vertical displacements time series at PAOL GPS station, collocated with AG06, provided by the GPSLAB database (IES-AS, 2015). Solutions are computed in the IGS08 reference frame (Rebischung et al., 2012). The time of each joined gravity and photogrammetry survey is shown by dotted lines. The error bar is computed from the standard deviation of the measurements of the same 30-days window.
Figure 5: Hydrological effect on gravity at AG06, estimated from global hydrological models GLDAS2 and MERRA2.
Figure 6: a) UAV, modified Skywalker X8. b) Close-up on the central compartment of the UAV, where the camera and lens are mounted. c) Map of the ground control points with the shaded topography in the background. The gravity sites are also shown for reference.
Figure 7: Gravity changes between (a) 2015 and 2016 and (b) between 2016 and 2017. BA02 could not be measured in 2017 because of construction work ongoing near the site. The error bars represent $\sqrt{\sum_{i} \sigma_i^2}$ where $\sigma$'s are the uncertainties of the gravity measurements and of the seven corrections given in Table 1 (thus $i$ ranges from 1 to 8).
The disks that locate the gravity sites are colored relative to the gravity change. The black contour line limits the river and the landsliding area. The landsliding area is divided into two parts: the top and the toe. The color scale of the elevation changes is bounded within ±10 m, which contains 92% of the elevation changes between 2015 and 2016, and 96% of the elevation changes between 2016 and 2017. The extrema are -46 m/33 m between 2015 and 2016, and -38 m/33 m between 2016 and 2017.
Figure 9: In situ density measured during the 2017 survey (colored dots, the value is also reported in white). Gravity sites are shown with white dots. Axes are in meters. The background is the shaded topography measured during the 2017 survey.
Figure 10: Comparison of the observed (blue) and modelled gravity changes for the densities inverted in cases 1, 2 and 3 (red, yellow and purple, respectively). Each case is slightly offset horizontally for legibility. No gravity is estimated at BA02 since its location is unknown.
Figure 11: Estimation of the mass of sediment redistributed between 2016 and 2015, and between 2017 and 2016 in cases 1, 2 and 3 (red, yellow and purple, respectively; same color code as in Fig. 10). The mass estimation is shown for the river, the landslide and their sum (total). The error bars are computed by multiplying the volumes variations from the DSM with the densities uncertainties (Table 2). The landslide volumes distinguish the top and the toe of the landslides with a stacked bar plot form.
Figure 12: Gravity changes expected at new sites located 5 m beneath the river (red), compared with those measured at BA01-BA09 (blue), for the same sediment redistributions as a) between 2015 and 2016 and b) between 2016 and 2017. The new sites are in fact BA01 – BA09 translated 140 m in the north-east direction, as illustrated in c).
Figure 13: a) River level and sediment concentration of Laonong River, measured at LiuGui station, about 20 km downstream from Paolai. The highest sediment concentration (5000 ppm) is reached in summer 2017, when the river level increased by about 1.6 m. Data are freely available at the Taiwan WRA (Water Resources Agency, 2002). b) Estimated gravity changes at the buried network (Fig. 12c) as a function of the suspended sediment load and of increasing amounts of bedload-transported sediment. The bedload fraction is considered here as a homogenous layer of 0 to 60 cm thickness (labelled on each curve) and density 2×10^3 kg m^{-3}. The river becomes a debris-flow when its suspended sediment concentration goes beyond 4×10^4 ppm. The 5000 ppm level is shown as a reference. Note that the gravity sign is negative because the mass is increased above the gravimeters.
Figure A1: a) Photography of the dolosse. b) 3D hexagonal shape of the plain dolosse, as seen by the photogrammetry. c) Top view of the actual dolosse. The dark gray parts are the pillars actually touching the ground and the light gray parts are the “arms” of the dolosse. d) Side view of one dolosse element. One dolosse consists in three of these parts, joined by the arms.
Figure B1: a) Picture of the hole taken with references scales and benchmarks. Several pictures were thus taken before and after the hole was dug. b) 3D cloud of the points mapping the hole surface. c) Computation of the volume bounded by the hole and the former surface of the ground, before the hole was done.